

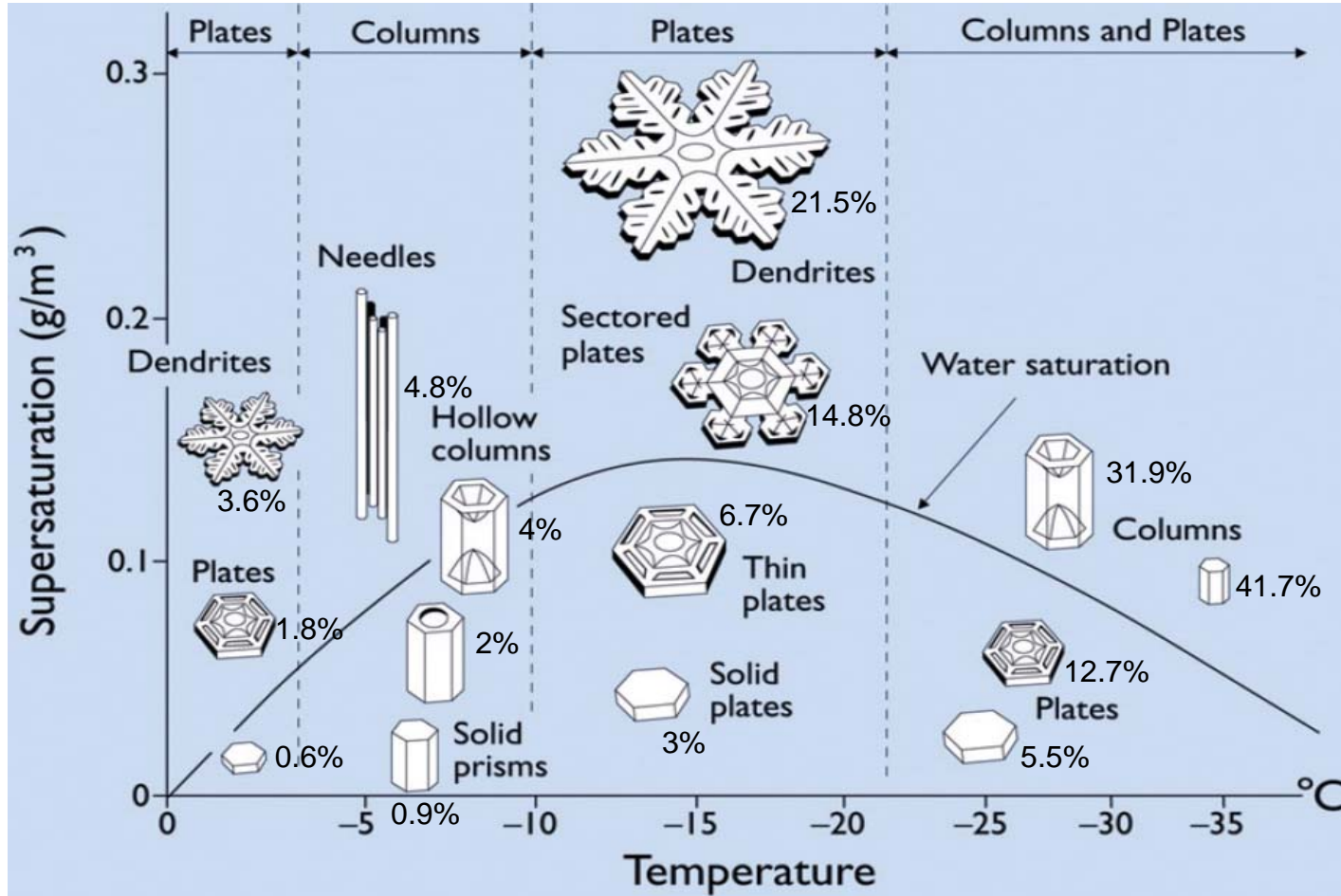
# Results from ice nucleation experiments at AIDA obtained with the HOLographic Instrument for Microscopic Objects (HOLIMO)

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# Outline

- Introduction
  - Motivation
  - Applications of holography
- Holographic instrument HOLIMO
  - Description and characterization
  - Image reconstruction and segmentation
- Results
  - AIDA campaign
- Outlook

# Ice crystal habit diagram for crystal growth



Libbrecht, 2005: adapted Furakawa diagram

# Depth of field

Analogy for holography



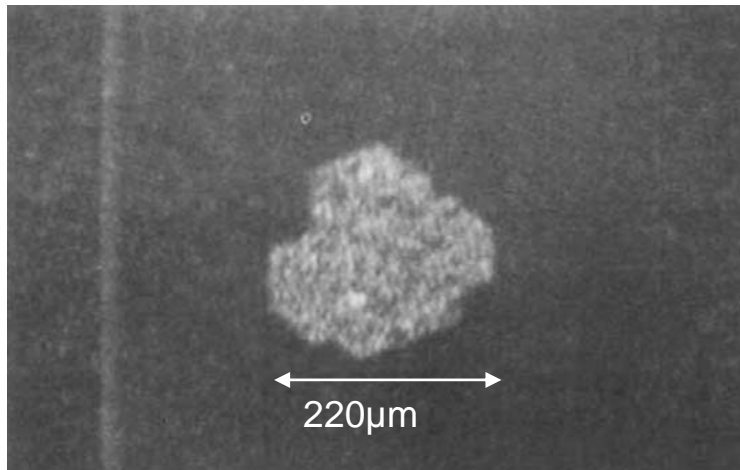
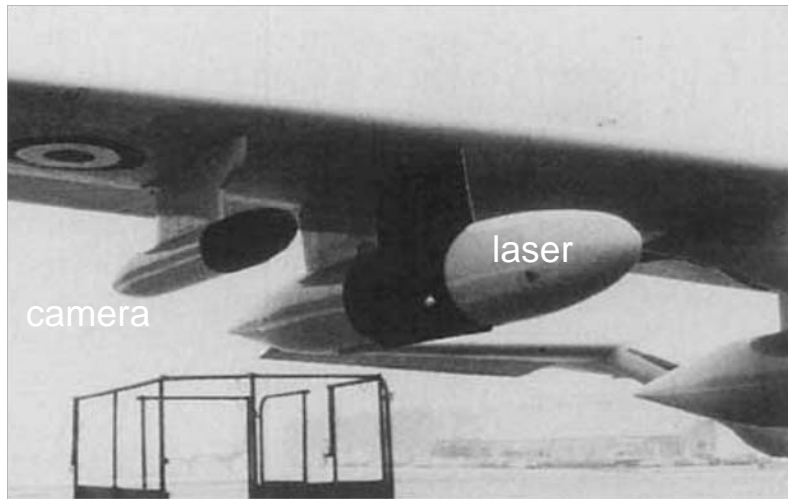
Analogy for optical microscopy



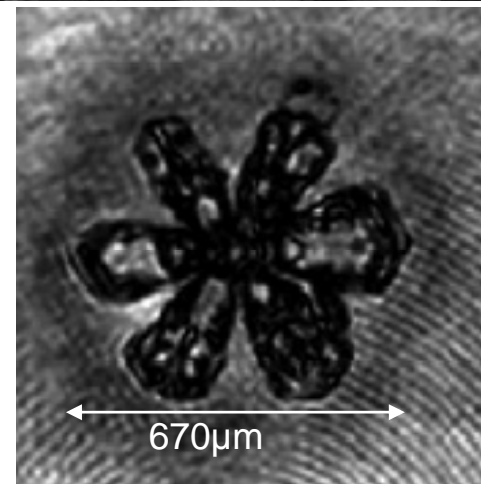
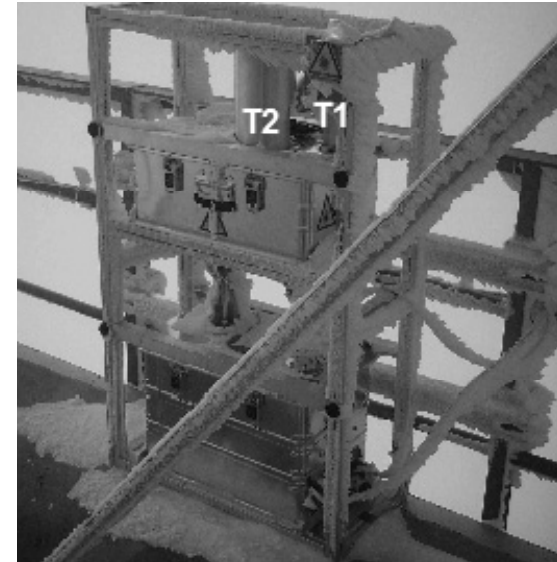
bigger observing volume with holographic probes than with optical microscopes  
→ positioning and sizing in space

# Holography in Atmospheric Science

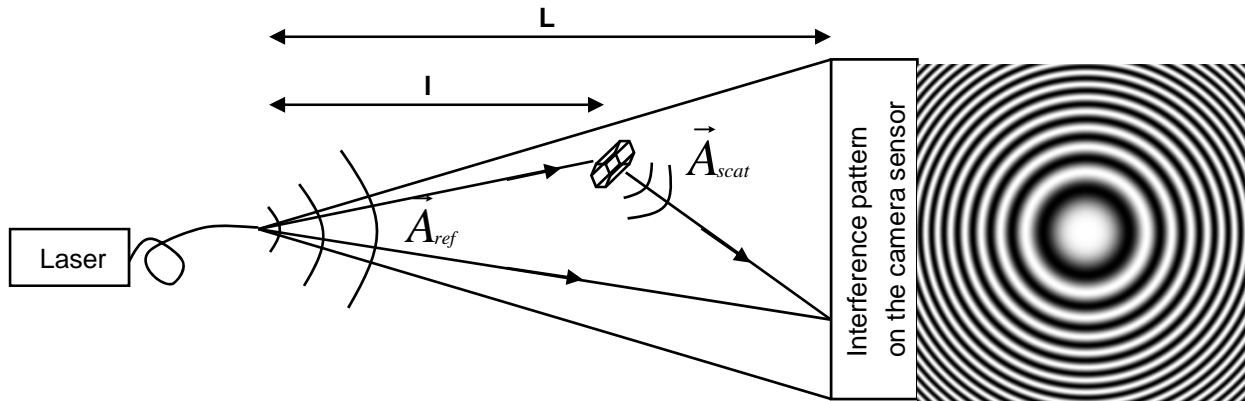
Airborne cloud physics measurements (Brown, 1989)



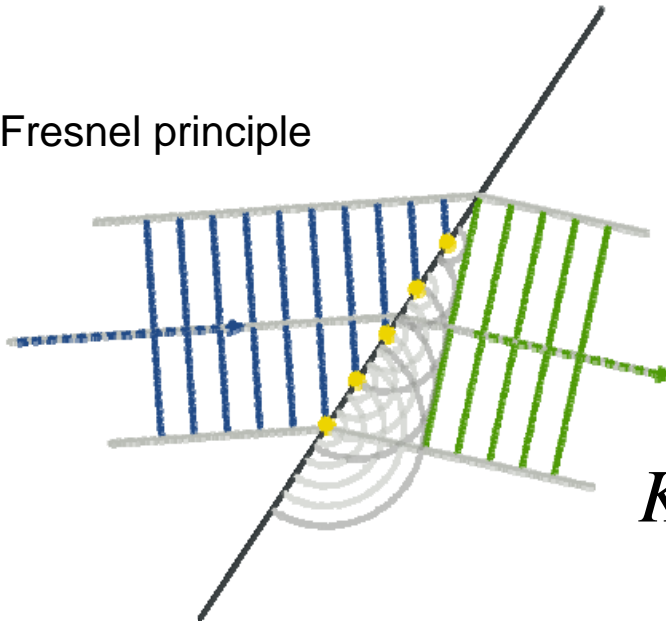
Atmospheric ice particles (Raupach et al., 2006)



# Setup and reconstruction method of HOLIMO



Huygens-Fresnel principle

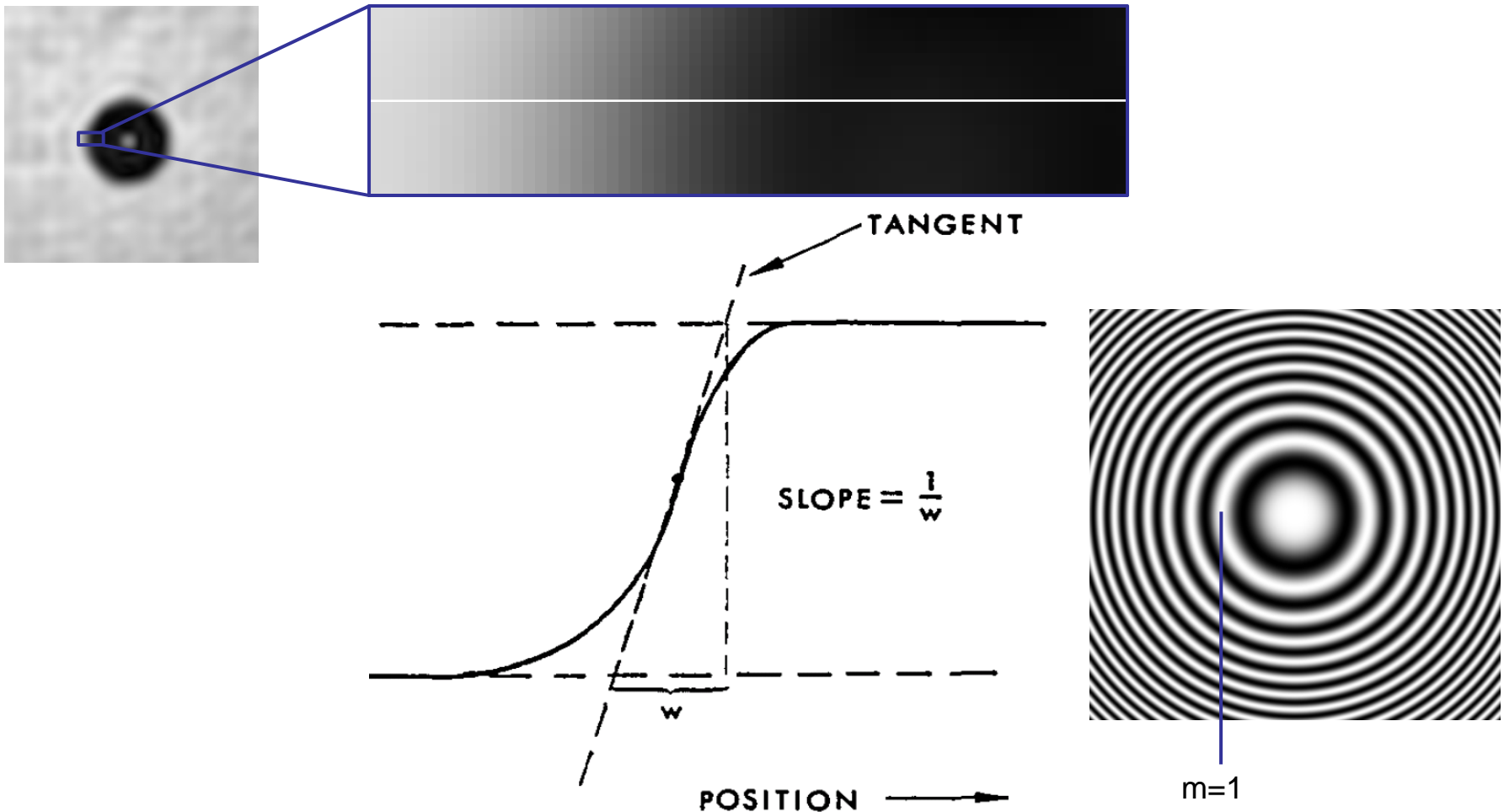


Kirchhoff-Helmholtz transformation only at far field distances

$$K(\vec{r}) = \int_A d^2 \xi \underbrace{\tilde{I}(\vec{\xi})}_{\text{Image intensity}} \cdot \underbrace{e^{\frac{2 \cdot \pi \cdot i \cdot \vec{\xi} \cdot \vec{r}}{\lambda \cdot \xi}}}_{\text{System response}}$$

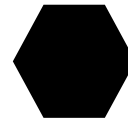
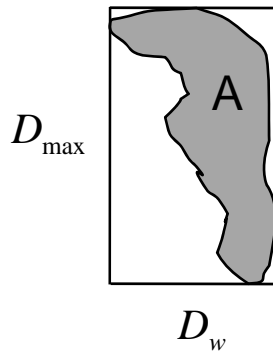
# Resolution considerations

- Robinson, 1970: Calculation of edge smear in far-field holography
  - ▶  $w/d = 1/(2m)$ ,  $w$ =relative edge width,  $d$ =object size,  $m$ =amount of side lobes



# Classification scheme

- Aspect ratio  $\alpha = \frac{D_w}{D_{\max}}$
- Roundness  $\beta = \frac{4 \cdot A}{\pi \cdot D_{\max}^2}$
- Equivalent sphere diameter  $d_{\text{sphere\_equiv}} = 2 \cdot \sqrt{\frac{A}{\pi}}$



$$\alpha \approx 0.72$$

$$\beta \approx 0.83$$



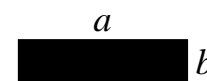
$$\alpha \approx 0.72$$

$$\beta \approx 0.44$$



$$\alpha = 1$$

$$\beta \approx 0.67$$

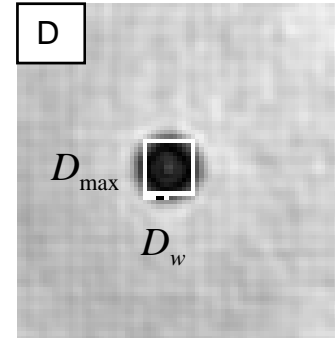
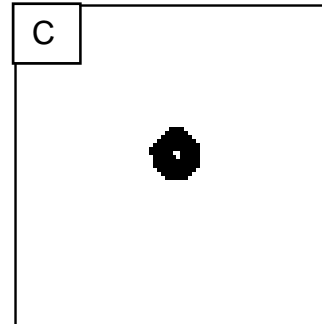
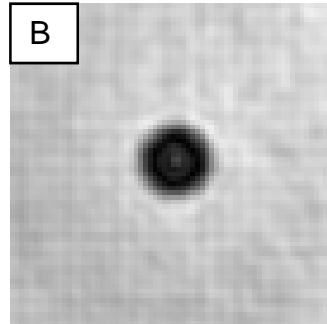
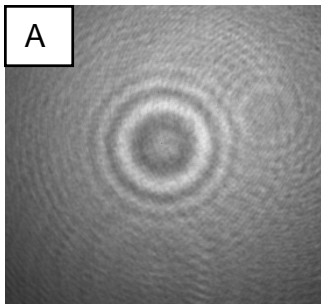


$$\alpha = \frac{2ab}{a^2 + b^2}$$

$$\beta = \frac{4ab}{\pi(a^2 + b^2)}$$



# Example of reconstruction and segmentation

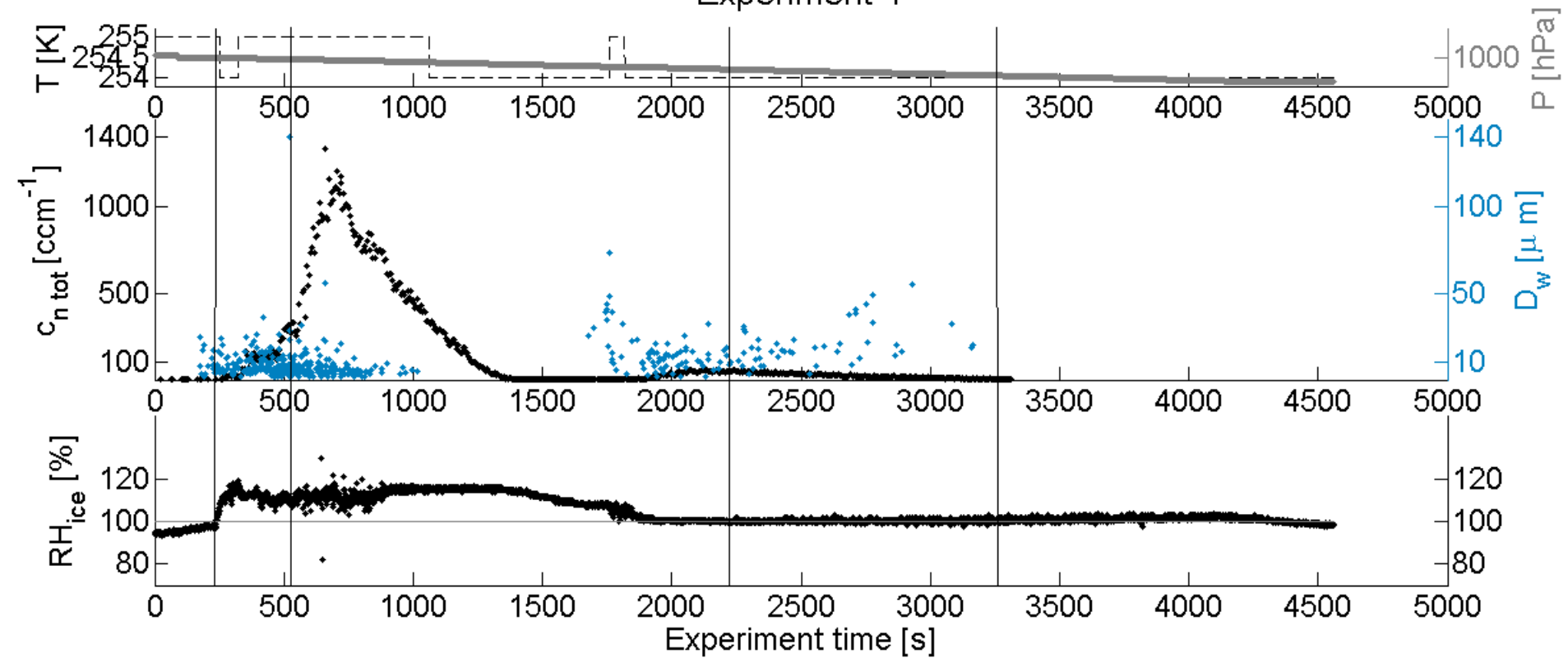


$$\alpha = \frac{D_w}{D_{\max}} = 1, \beta = \frac{4 \cdot A}{\pi \cdot D_{\max}^2} \approx 1: \quad \text{Droplike (circular)}$$

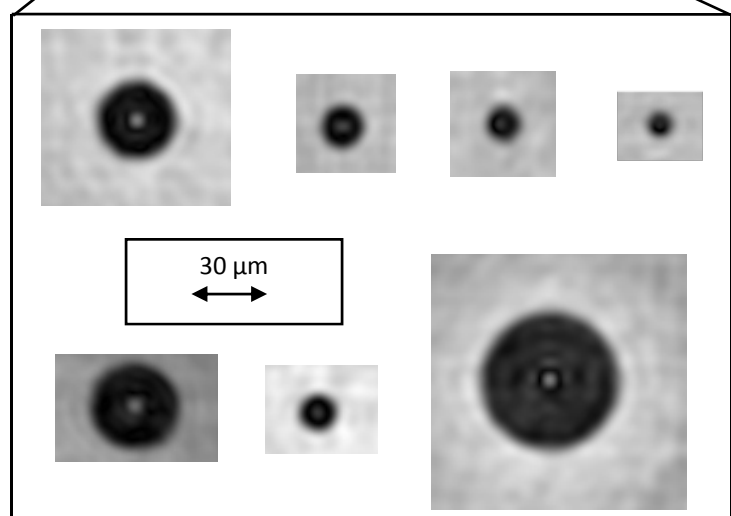
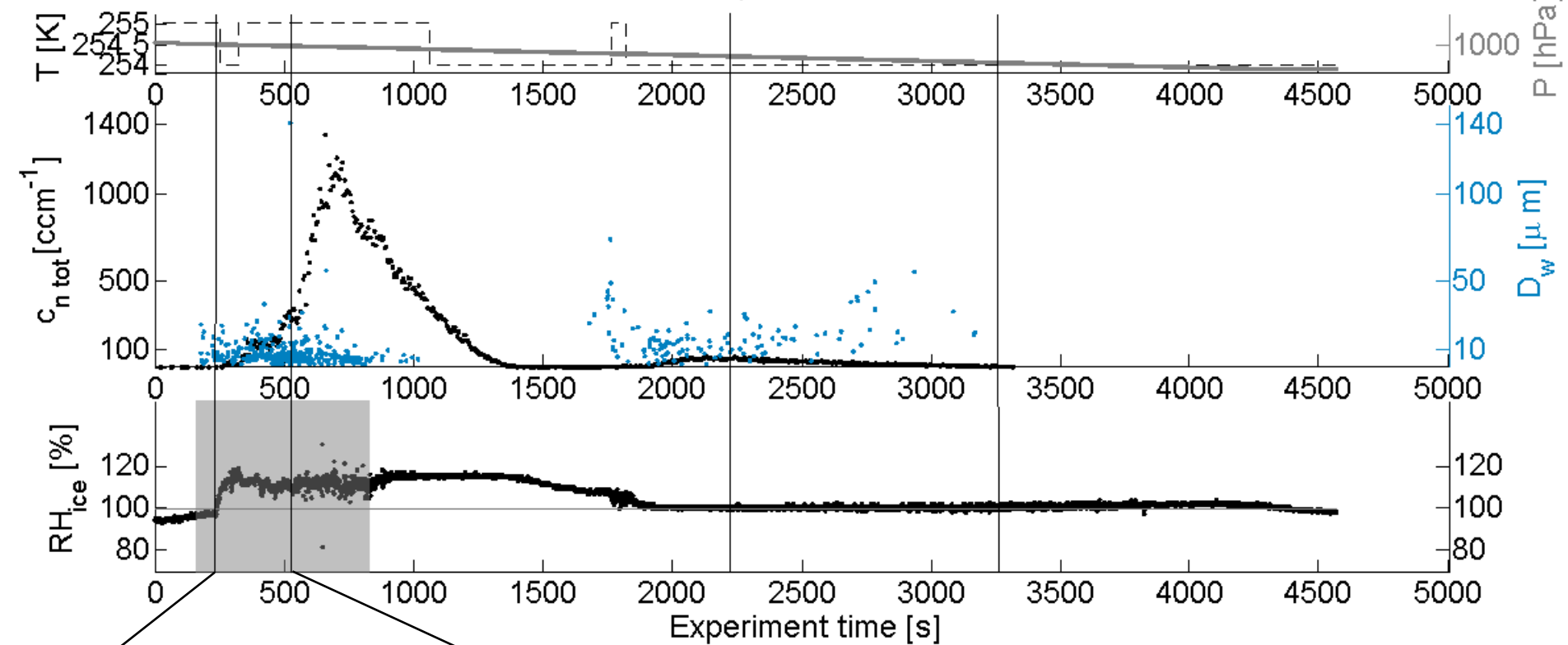
# Results of the AIDA campaign IN11

day		aerosol	AIDA wall T (°C)	remarks
12/11	(Mo)	Ice seeds	-18	Mixed phase clouds
14/11	(Mi)	SA, ice seeds	-21	Mixed phase clouds
15/11	(Do)	SA	-43	SuccAcid coated
19/11	(Mo)	GFG soot	-45	uncoated
21/11	(Mi)	GFG soot	-45	SuccAcc coated

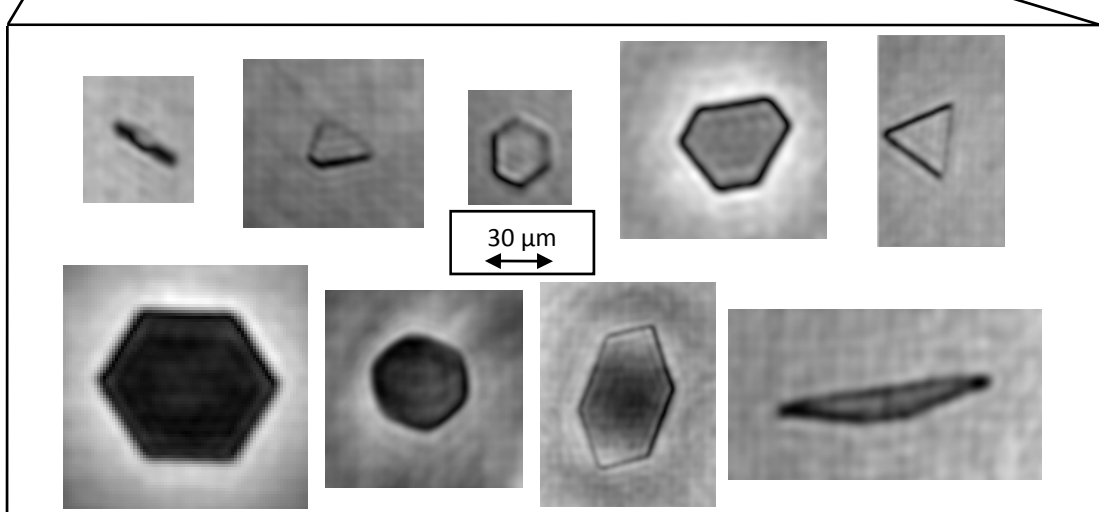
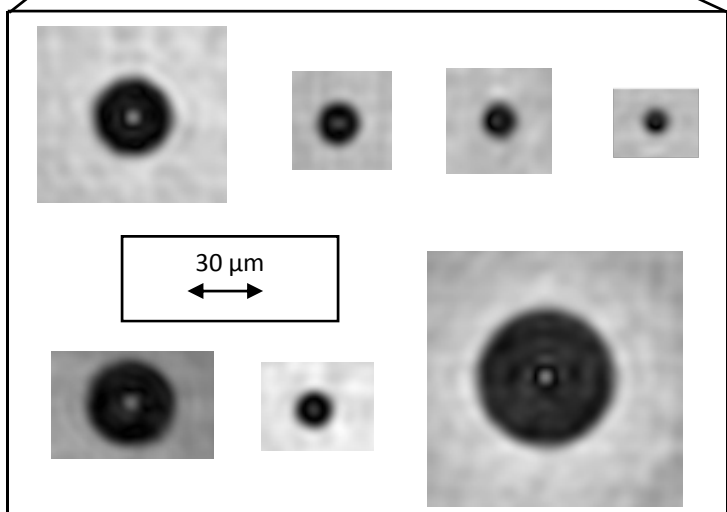
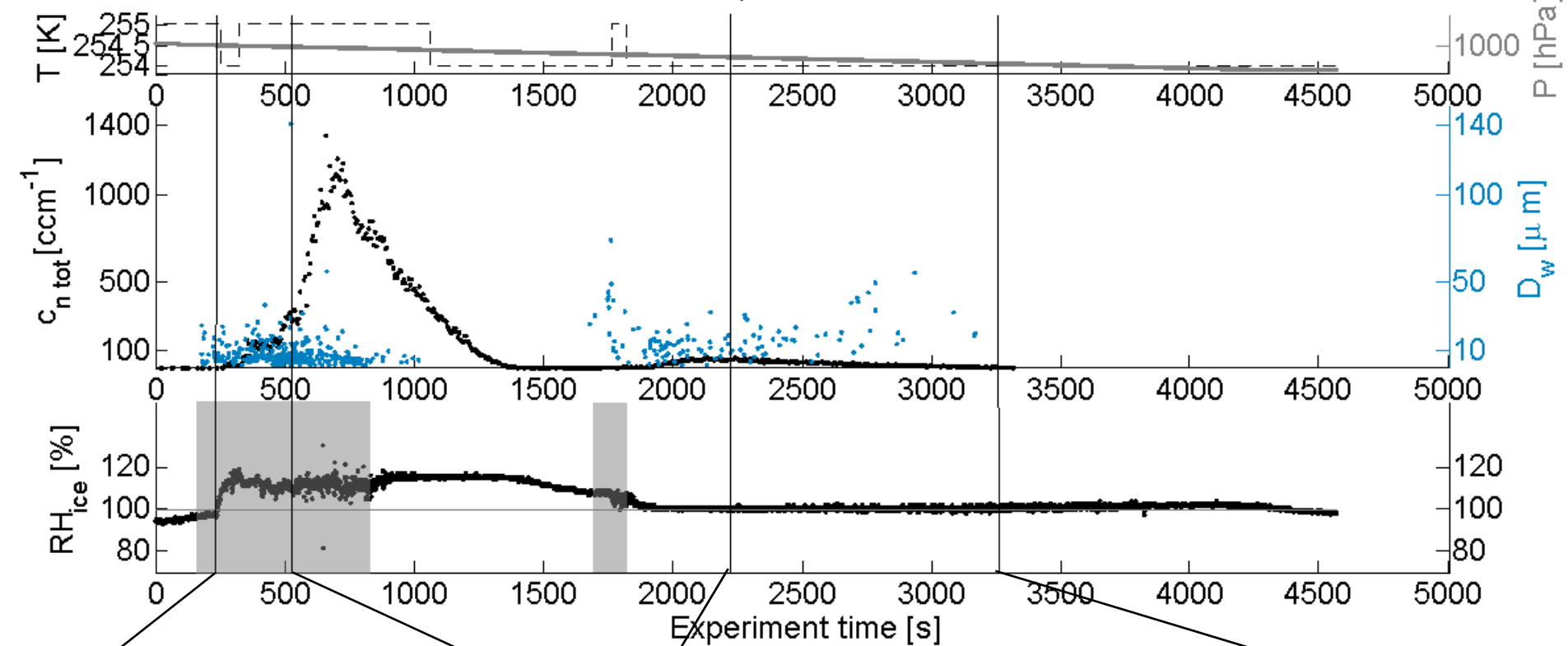
## Experiment 1



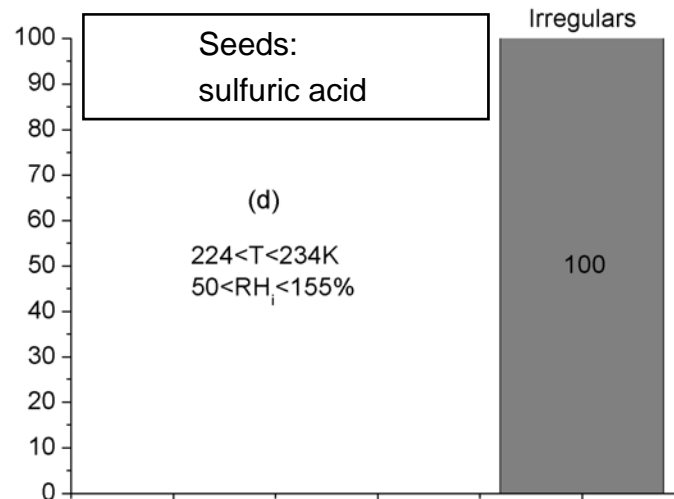
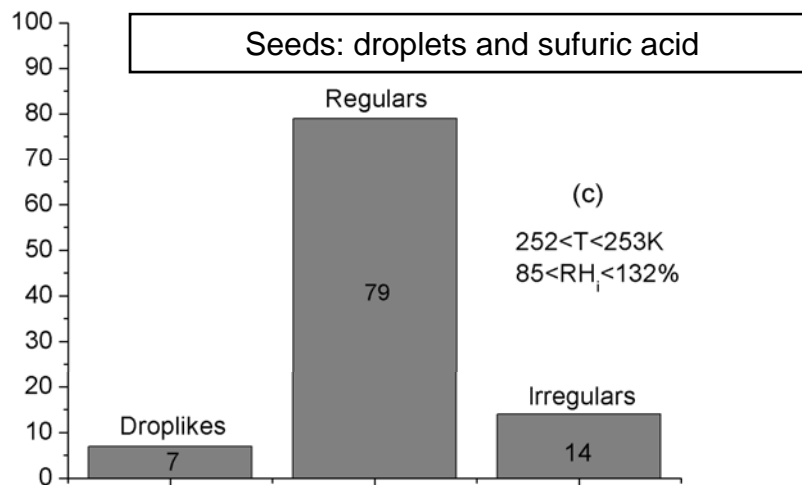
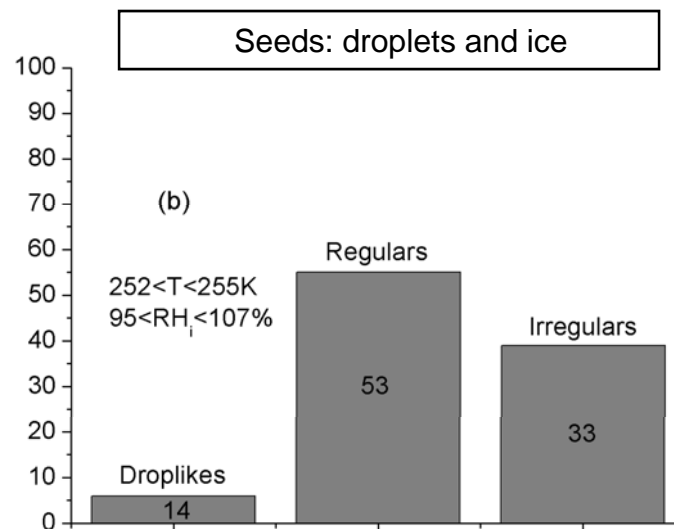
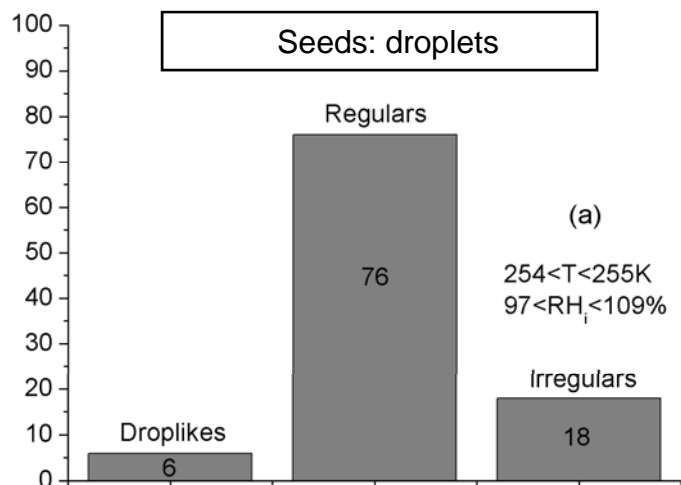
# Experiment 1



# Experiment 1



# Frequency of occurrence of hydrometeors with sizes smaller than $60\mu\text{m}$ obtained from 4 different experiments



# Conclusion and outlook

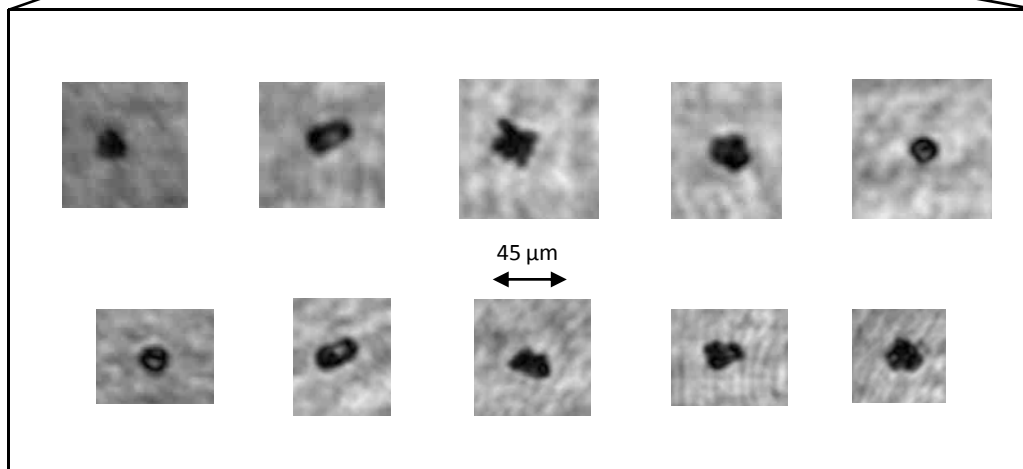
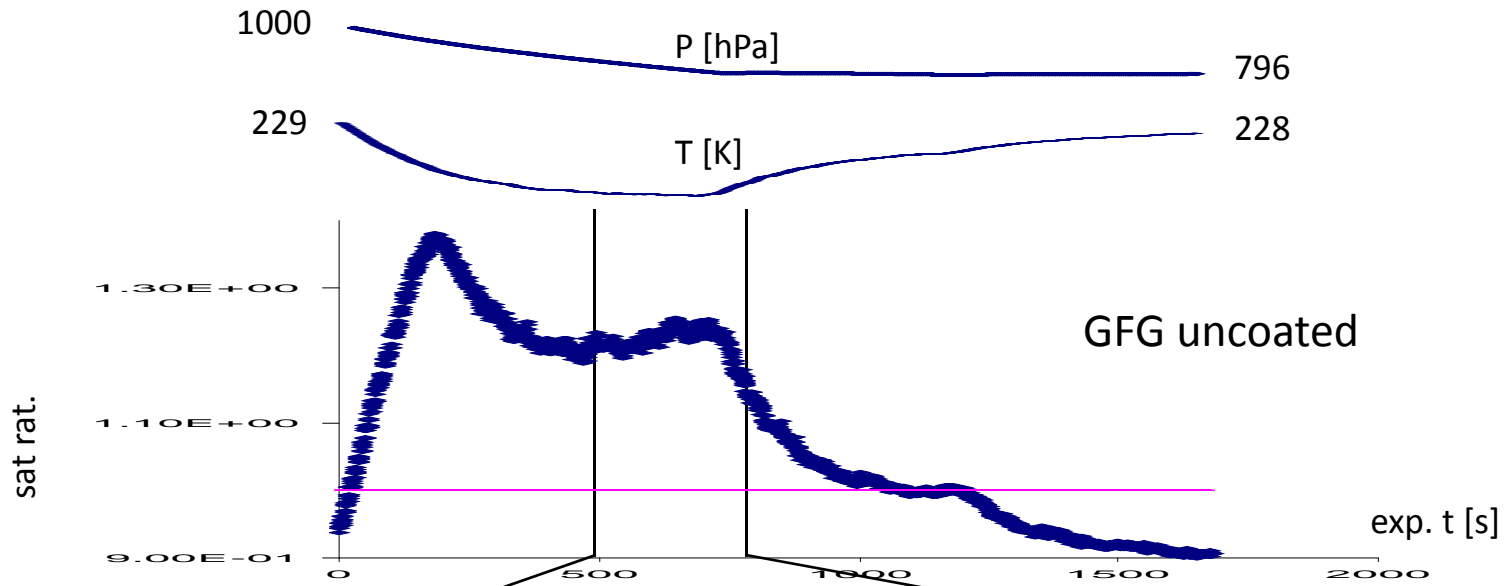
- Successful feasibility study for the holographic instrument at AIDA
  - Investigation of ice nucleation ability of inorganic aerosols
  - Evaluation of ice nucleation ability of coated and uncoated soot particles in progress
- Improvement of the holographic instrument for further campaigns

# PRELIMINARY RESULTS

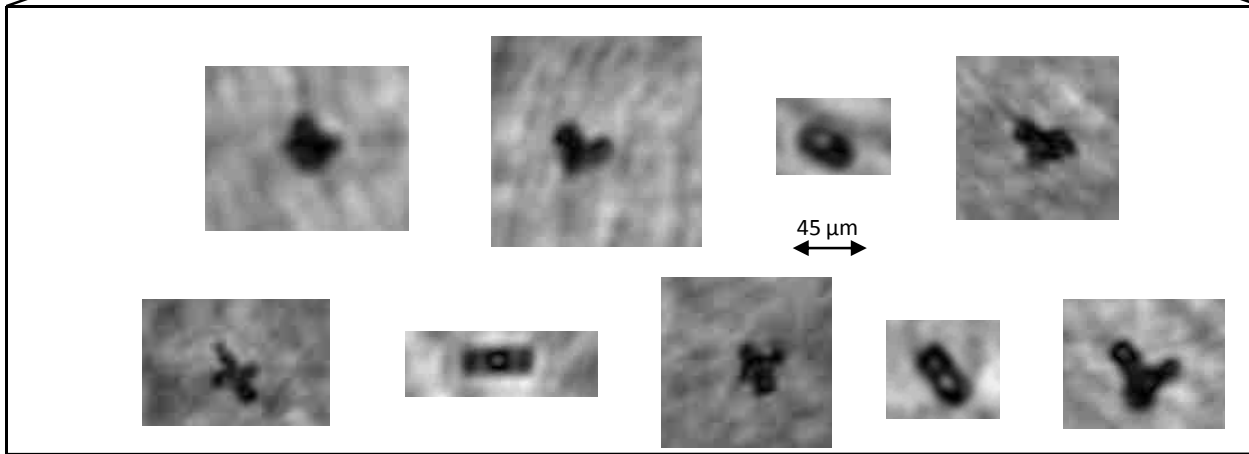
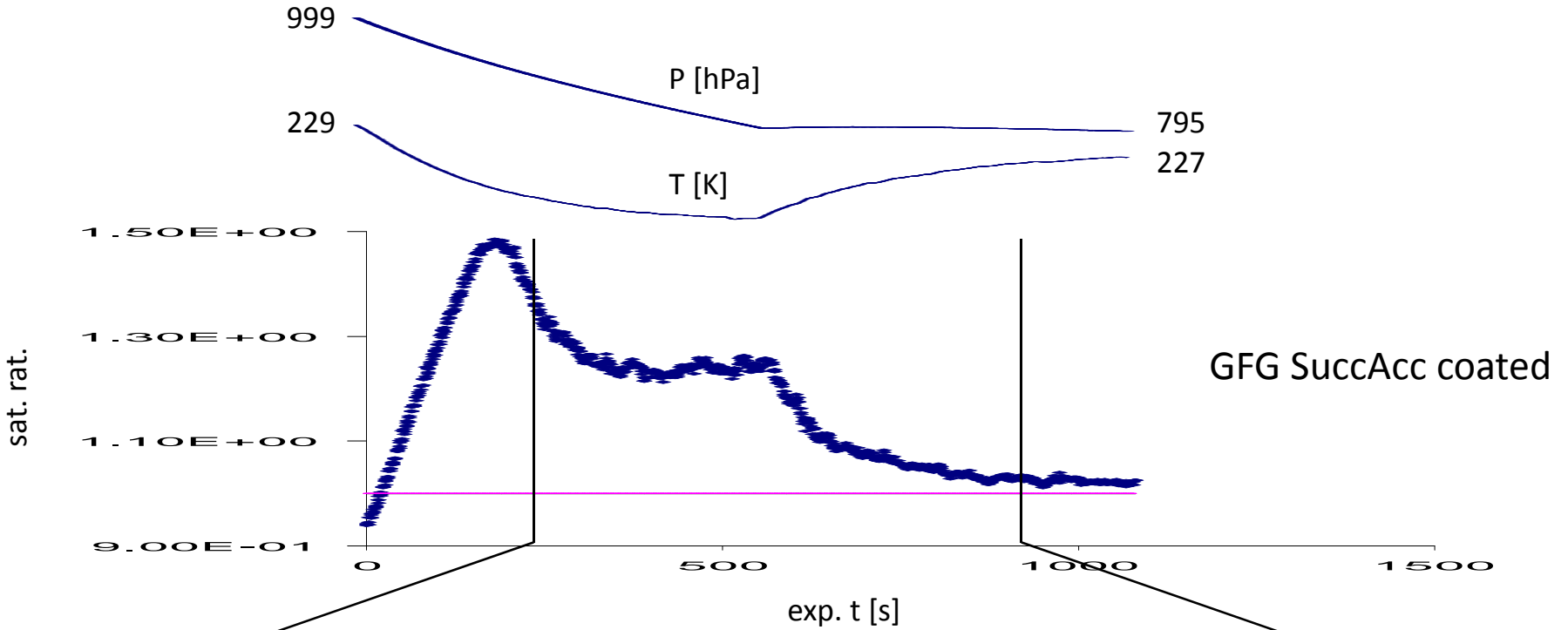
- Week 2
- Soot aerosols (coated/uncoated)
- Experiments 14 and 18



# Experiment 14



# Experiment 18



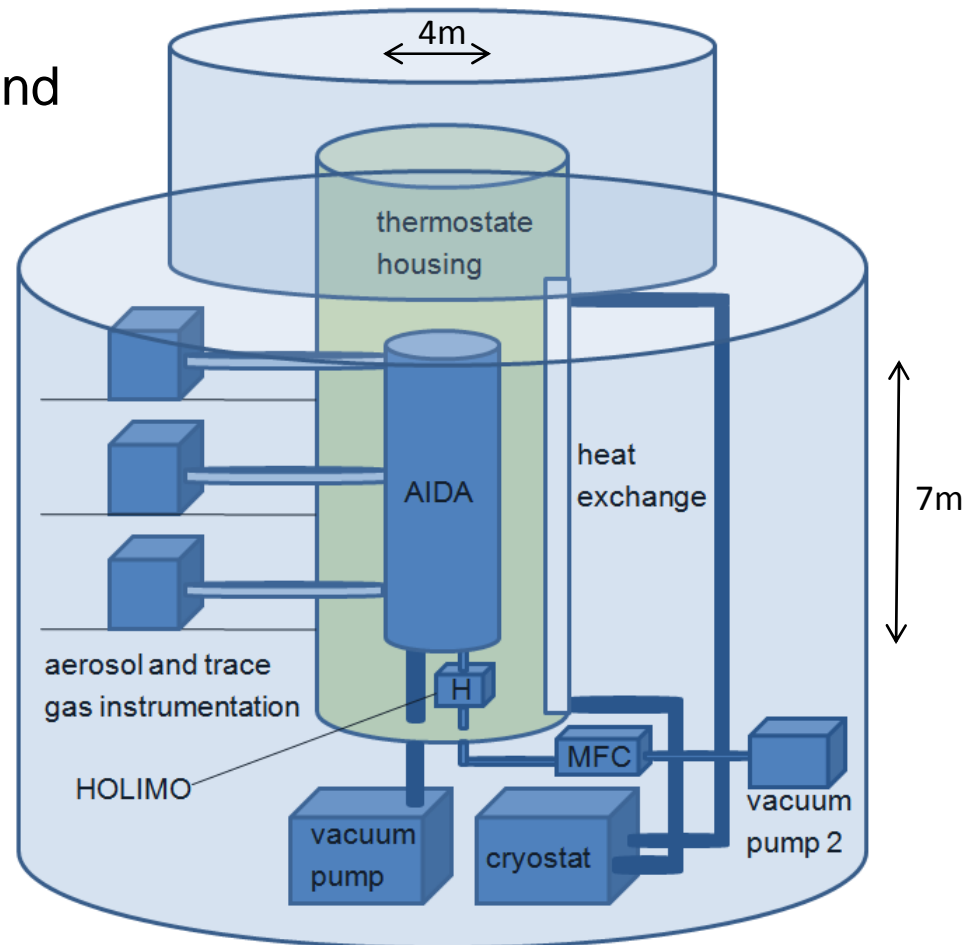
# Appendix

# Results of the AIDA campaign

-- Ice particle habit evolution in mixed phase clouds

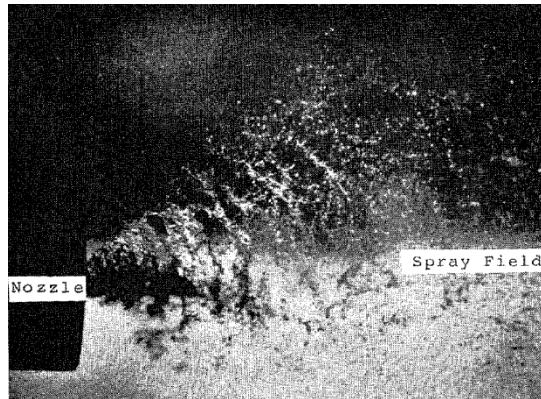
AIDA	$-90^{\circ}\text{C} < T < 60^{\circ}\text{C}$
Properties:	$0.01\text{hPa} < P \sim 1000\text{hPa}$
	$V = 2^2\text{m}^2 \pi 7\text{m} \sim 84\text{m}^3$

Supersaturation via temperature and  
adiabatic expansion



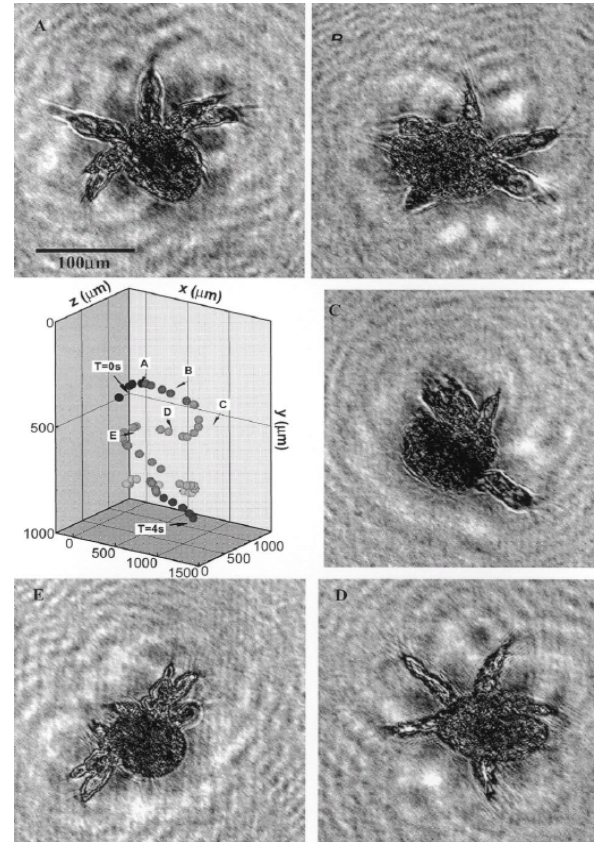
# Applications of holography

Holography of nozzles, jets  
and sprays



(Trolinger et al., 1975)

3D particle distributions and motions  
- free swimming copepod (crayfish)  
nauplius

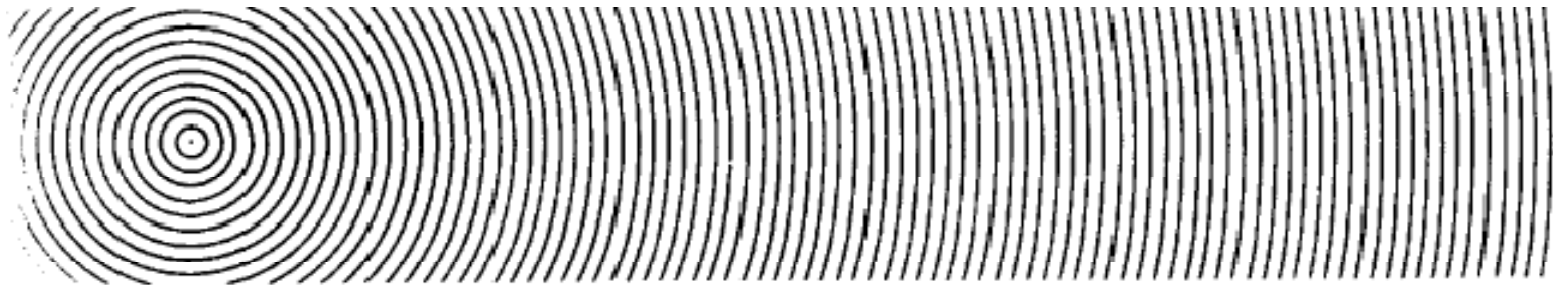
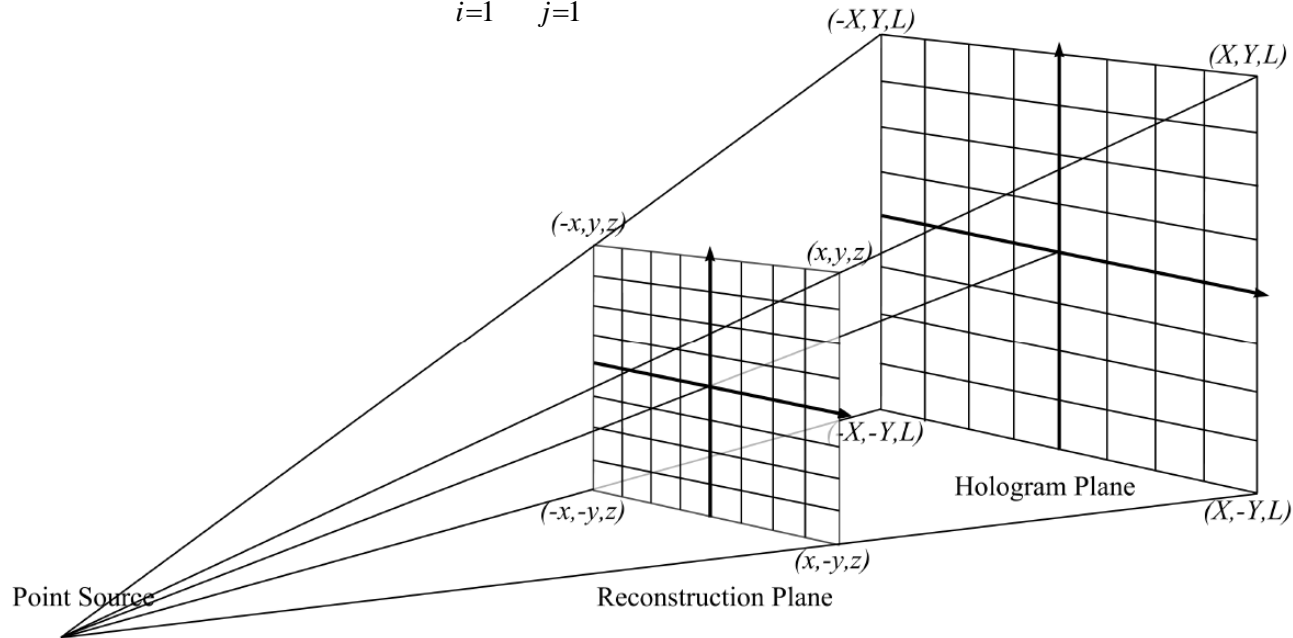


(Sheng et al., 2006)

# Kirchhoff-Helmholtz transformation

Finite pixel amount of Camera leads to discretized KH transformation

$$KH(x, y; l) = \sum_{i=1}^n \sum_{j=1}^n \tilde{I}(i, j; L) e^{\frac{2\pi \cdot i}{\lambda} \frac{x \cdot X + y \cdot Y + l \cdot L}{\sqrt{X \cdot X + Y \cdot Y + L \cdot L}}}$$

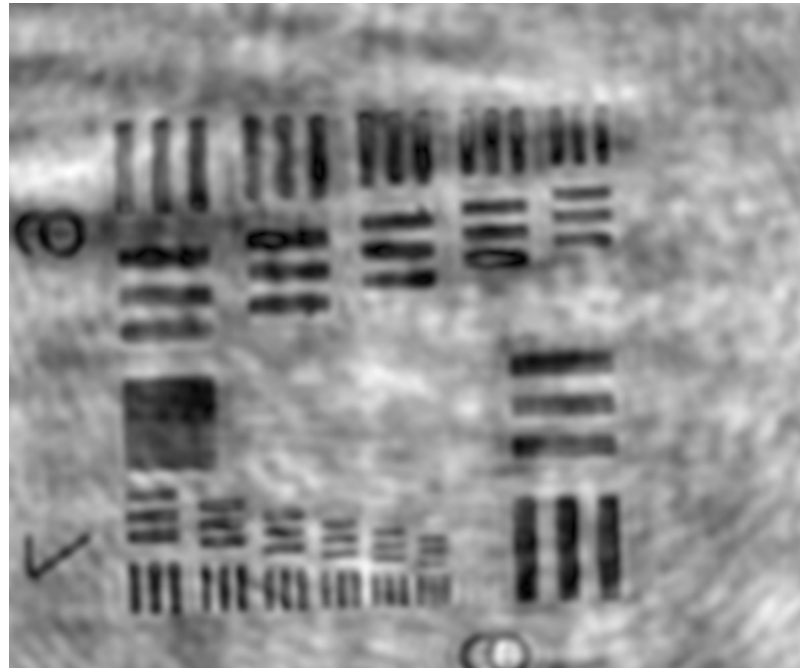


**Spherical**

**Paraboloidal**

**Planar**

# Resolution considerations with the USAF 1951 target



Smallest line: 4.4  $\mu\text{m}$